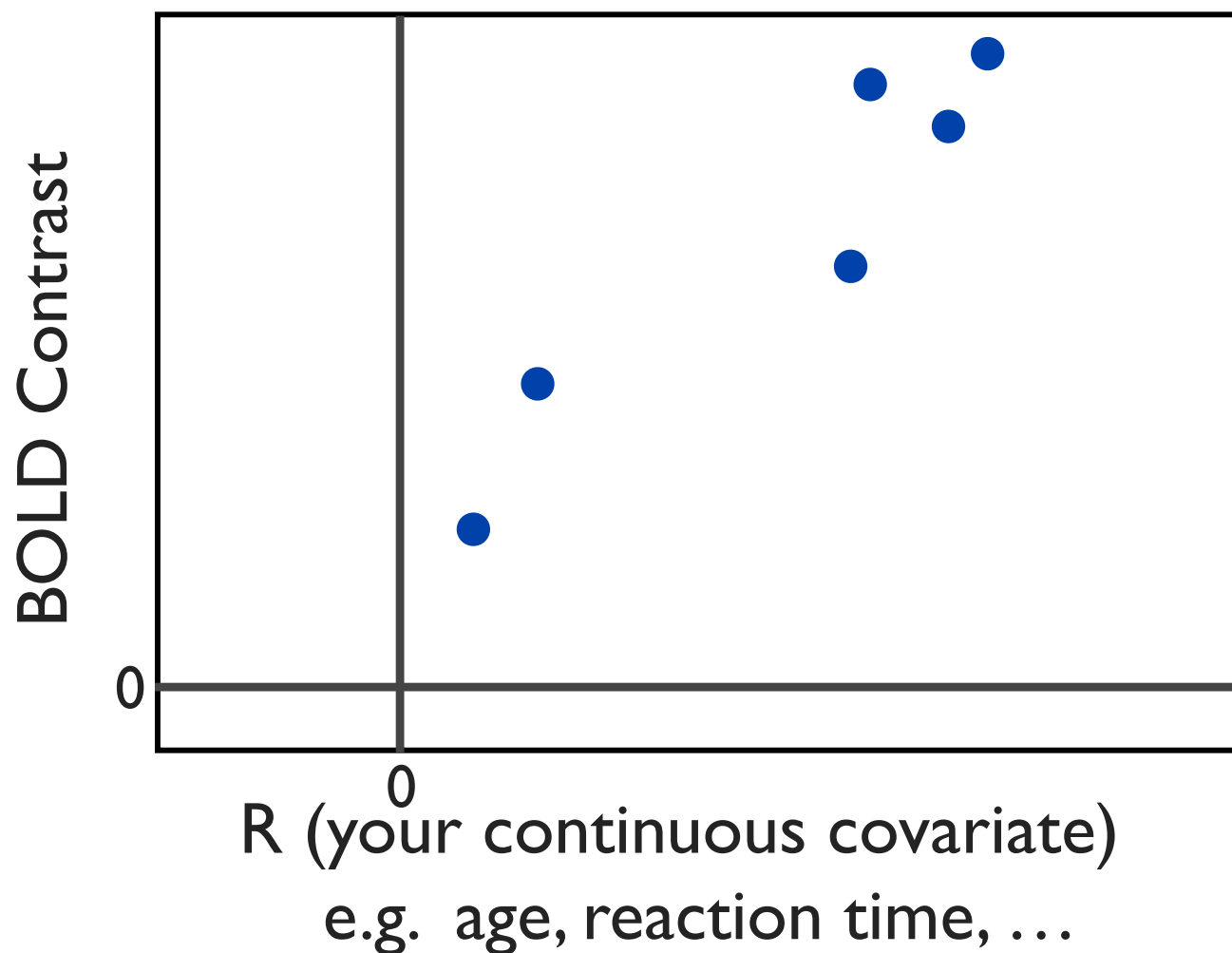




Demmeaning EVs

Demmeaning at the group level

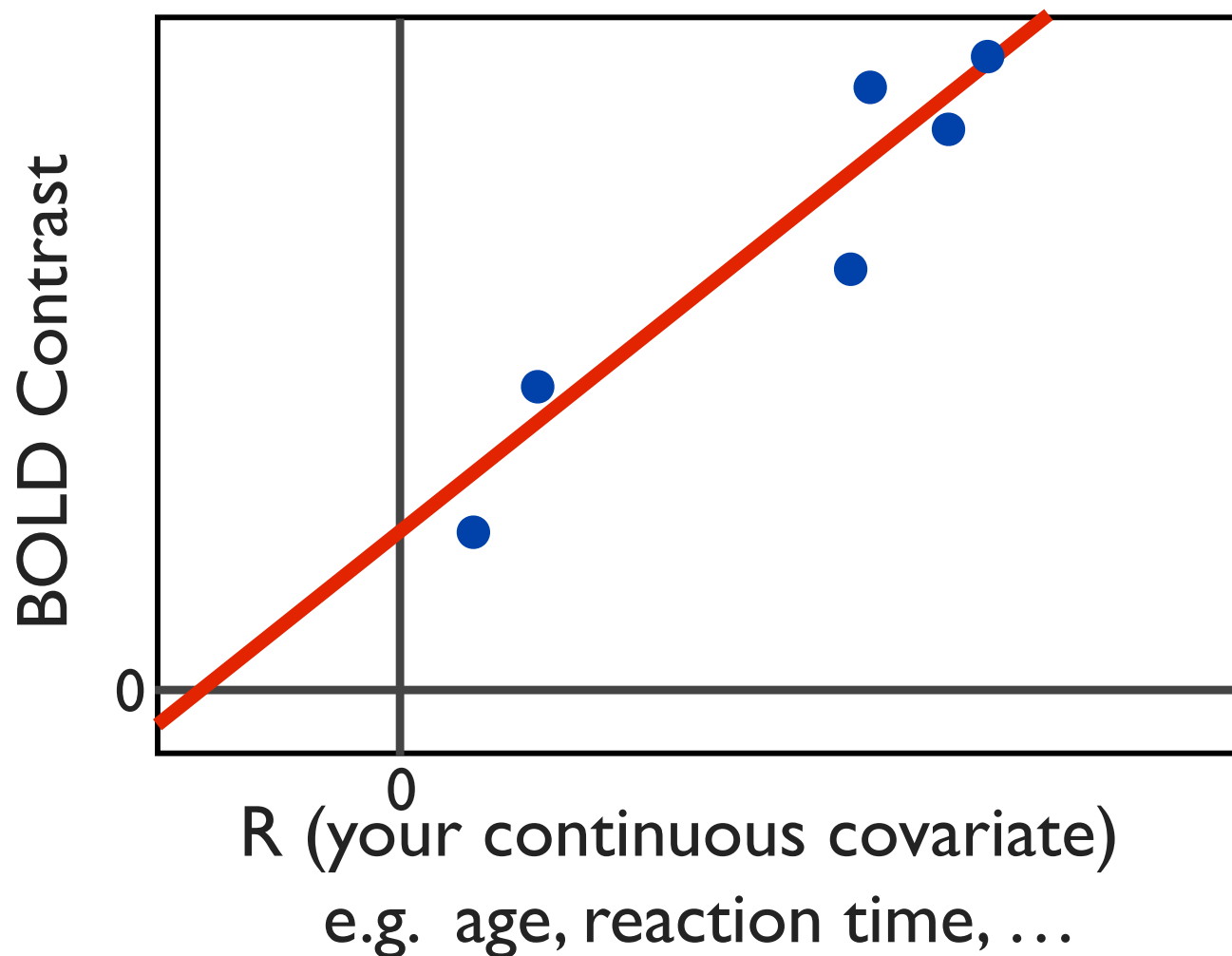
$$\begin{pmatrix} 1 & r_1 \\ 1 & r_2 \\ 1 & r_3 \\ 1 & r_4 \\ 1 & r_5 \\ 1 & r_6 \end{pmatrix}$$



Demmeaning



$$\begin{pmatrix} 1 & r_1 \\ 1 & r_2 \\ 1 & r_3 \\ 1 & r_4 \\ 1 & r_5 \\ 1 & r_6 \end{pmatrix}$$

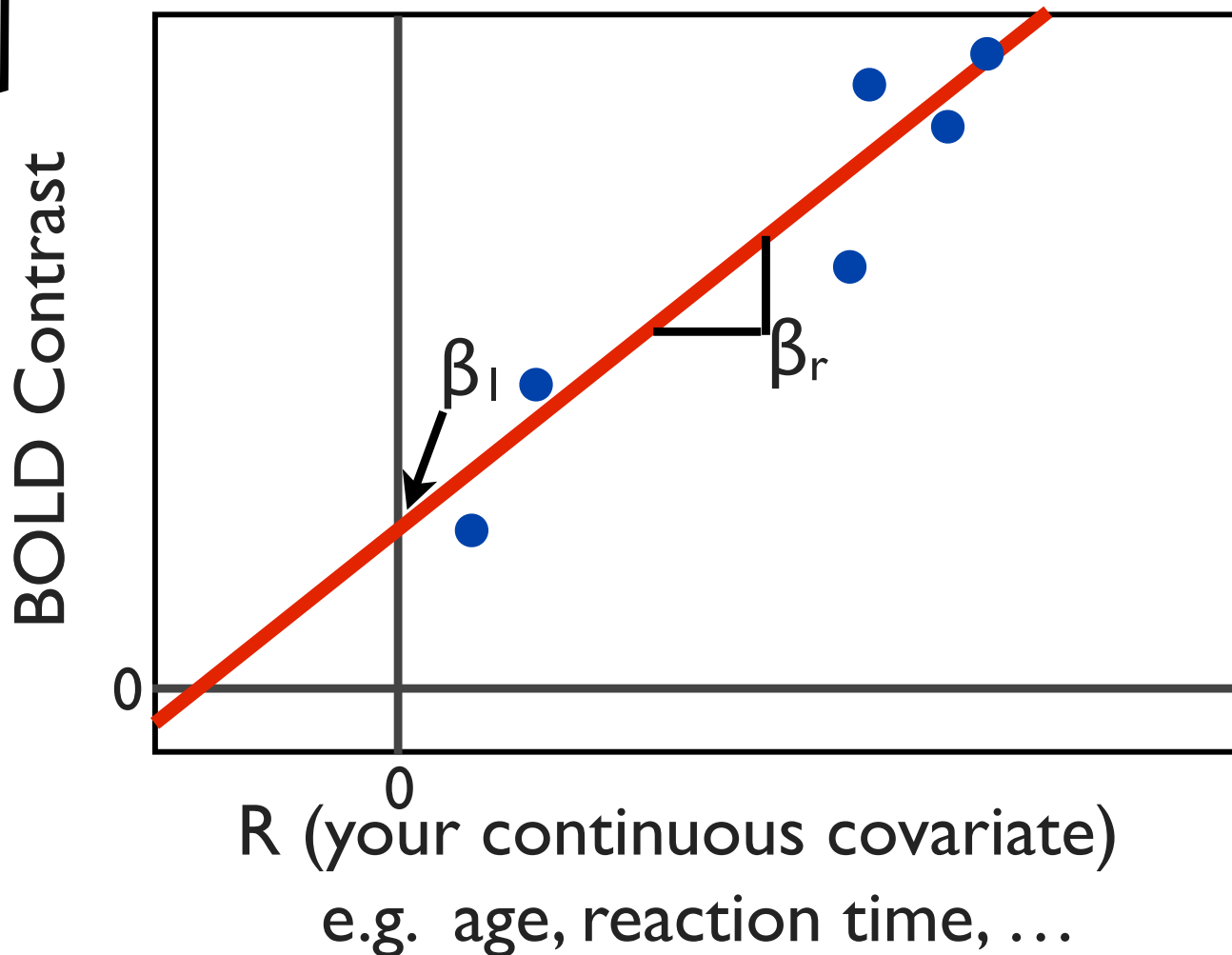


Demmeaning



$$\begin{pmatrix} 1 & r_1 \\ 1 & r_2 \\ 1 & r_3 \\ 1 & r_4 \\ 1 & r_5 \\ 1 & r_6 \end{pmatrix} \begin{bmatrix} \beta_1 \\ \beta_r \end{bmatrix}$$

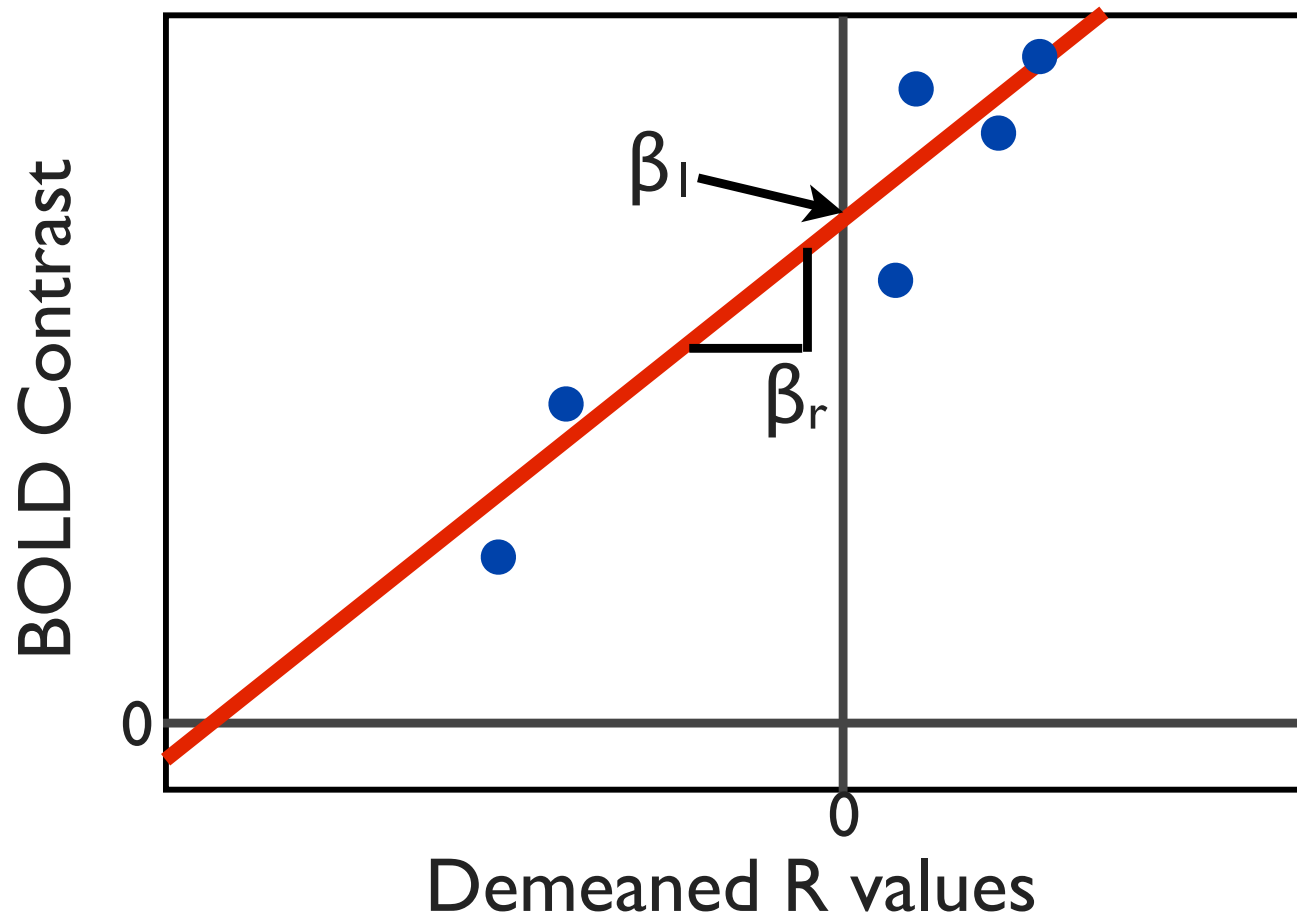
$[1 \ 0]$



Demeaning



β_I now represents BOLD at group average R



Demmeaning



Design matrix	What does the fitted model look like?	Contrast	Does demeaning change the stats?	Demmeaning recommended?
$\begin{pmatrix} 1 & r_1 \\ 1 & r_2 \\ 1 & r_3 \\ 1 & r_4 \\ 1 & r_5 \\ 1 & r_6 \end{pmatrix} \begin{bmatrix} \beta_1 \\ \beta_r \end{bmatrix}$		$[1 \ 0]$ $[0 \ 1]$	YES	YES

Mean centred value = $r_1 - \bar{r}$
 where \bar{r} is the mean of r_1 to r_6

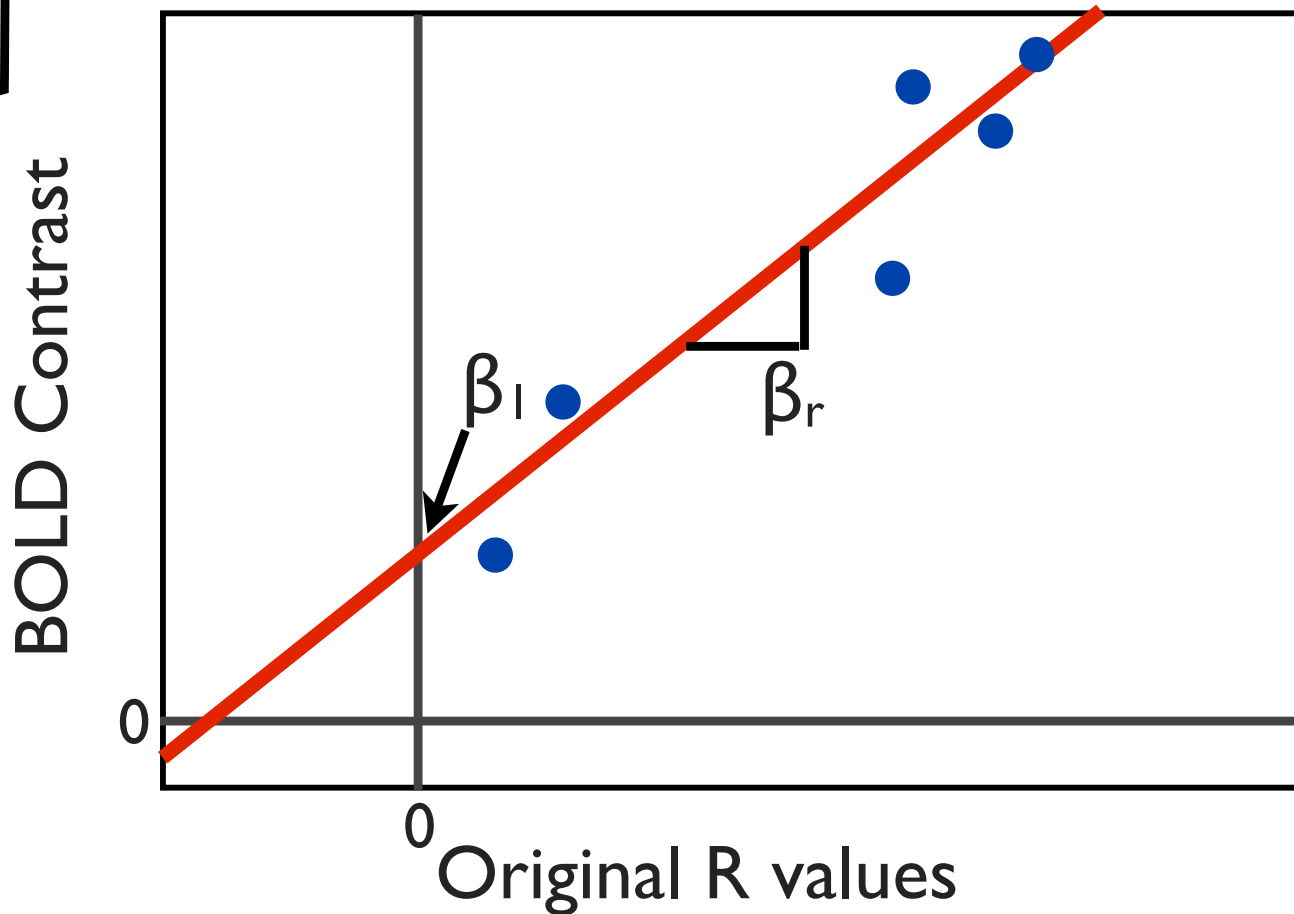
Adding or subtracting a mean from
 EV₂ (i.e. r_1 to r_6) **changes β_1**

Demmeaning



$$\begin{pmatrix} 1 & r_1 \\ 1 & r_2 \\ 1 & r_3 \\ 1 & r_4 \\ 1 & r_5 \\ 1 & r_6 \end{pmatrix} \begin{bmatrix} \beta_1 \\ \beta_r \end{bmatrix} = \begin{bmatrix} 0 & 1 \end{bmatrix}$$

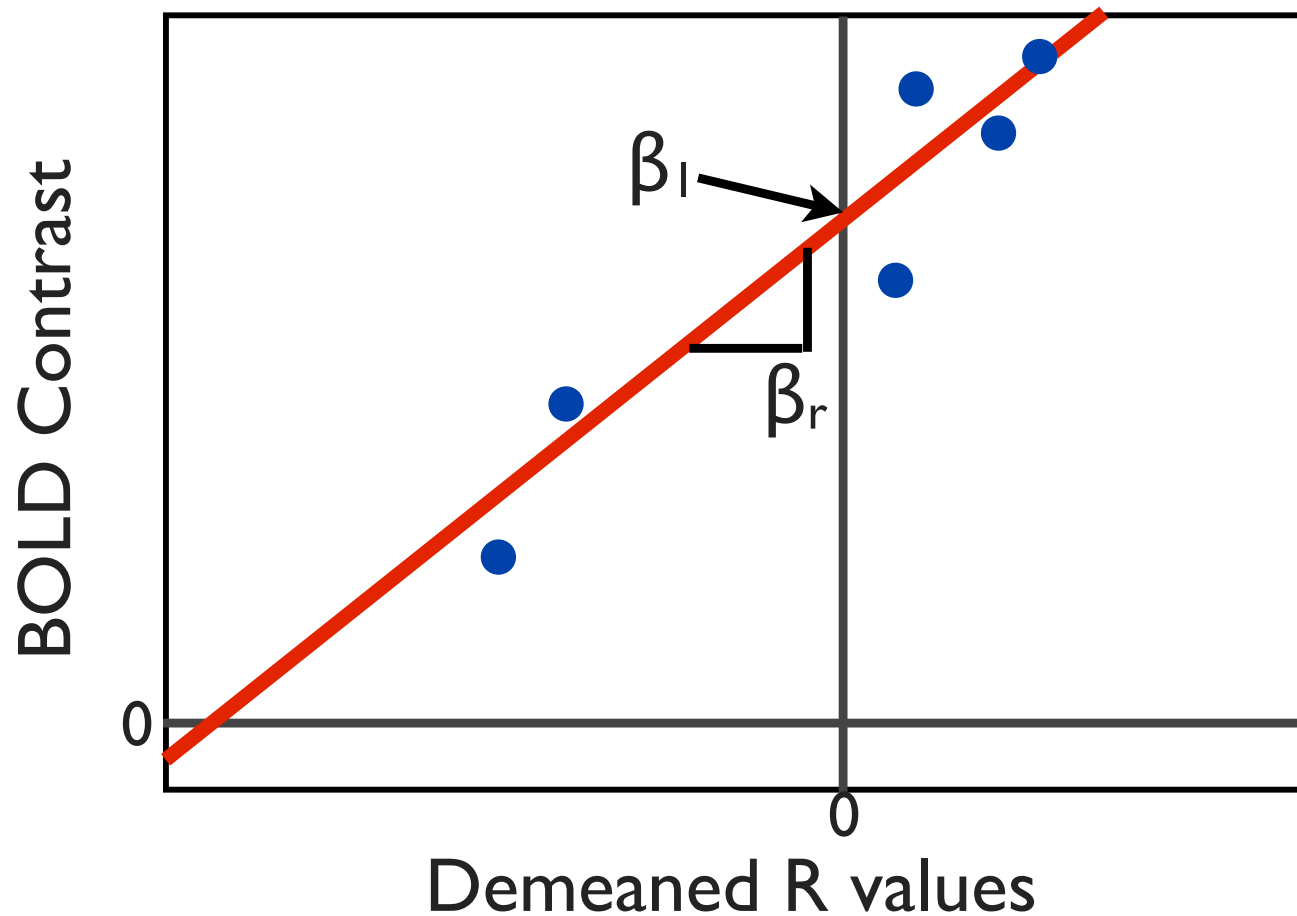
β_1 represents BOLD at $R=0$



Demmeaning



β_I now represents BOLD at group average R



Demmeaning



Design matrix	What does the fitted model look like?	Contrast	Does demeaning change the stats?	Demeaning recommended?
$\begin{pmatrix} 1 & r_1 \\ 1 & r_2 \\ 1 & r_3 \\ 1 & r_4 \\ 1 & r_5 \\ 1 & r_6 \end{pmatrix} \begin{bmatrix} \beta_1 \\ \beta_r \end{bmatrix}$		$[1 \ 0]$	YES	YES
		$[0 \ 1]$	NO	YES

Mean centred value = $r_1 - \bar{r}$
 where \bar{r} is the mean of r_1 to r_6

Adding or subtracting a mean from
 EV₂ (i.e. r_1 to r_6) **changes β_1**



Demmeaning EVs summary

- We can control for confound variables at the group level
- Demmeaning EVs can change the interpretation of the statistics
- Demmeaning EVs generally recommended